

WHAT IS CLAIMED IS:

1 1. A delta-sigma modulation system comprising:
2 an M-order filter to process input data, wherein M is greater than or equal to 3;
3 an N-order filter that is stable during overload conditions; and
4 a quantizer system coupled to the M-order and N-order filters to receive input
5 data from the M-order and N-order filters, provide quantized feedback
6 data, q_M , to the M-order filter, provide quantized feedback data, q_N , to
7 the N-order filter, and provide two state quantization output data q ,
8 wherein $q = q_M + q_N$.

1 2. The delta-sigma modulation system of claim 1 wherein a maximum
2 value of feedback data q_M is greater than a maximum value of output data q , and a
3 minimum value of feedback data q_M is less than a minimum value of output data q .

1 3. The delta-sigma modulation system of claim 1 wherein q is an element
2 of the logical value set $[+1, -1]$, a maximum value of feedback data q_M is greater than
3 $+1$, and a minimum value of feedback data q_M is less than -1 .

1 4. The delta-sigma modulation system of claim 3 wherein feedback data
2 q_M and q_N are integers.

1 5. The delta-sigma modulation system of claim 3 wherein feedback data
2 q_M and q_N are real numbers including non-integers.

1 6. The delta-sigma modulation system of claim 1 wherein N equals 2.

1 7. The delta-sigma modulation system of claim 1 further wherein the
2 input signal is a decimated version of a digital audio signal.

1 8. The delta-sigma modulation system of claim 1 wherein the input signal
2 is a digital input signal.

1 9. A digital signal processing system having a delta-sigma modulator
2 with stability protection during quantizer overload conditions, the system comprising:
3 an M-order loop filter to process a sum of input data and feedback data, q_M ,
4 wherein M is more than two;
5 an N-order loop filter to process feedback data, q_N , wherein N is selected from
6 the group consisting of one and two;
7 a rules based 1-bit quantizer to process output data from the N-order loop filter
8 and M-order filter and to provide q_M , q_N , and 1-bit quantized output
9 data, q , wherein $q = q_M + q_N$, and q_{Mmax} is greater than the maximum
10 value of q and q_{Mmin} is less than the minimum value of q to maintain
11 stability of the M-order loop filter during overload conditions.

1 10. The digital signal processing system of claim 9 wherein overload
2 conditions include conditions wherein a significant probability exists that input data to
3 the quantizer will cause the M-order filter to become unstable if q_M does not exceed
4 the maximum range of q .

1 11. A digital signal processing system comprising:
2 an M-order filter to process input data, wherein M is greater than 2;
3 an N-order filter that is stable during overload conditions; and
4 a quantizer system coupled to the M-order and N-order filters to receive input
5 data from the M-order and N-order filters, provide quantized feedback
6 data to the M-order filter, provide quantized feedback data to the N-
7 order filter, and provide two state quantization output data, wherein the
8 quantization output data approximately equals the feedback data to the
9 M-order filter plus the feedback data to the N-order filter.

1 12. The digital signal processing system of claim 11 wherein a maximum
2 value of feedback data is greater than a maximum value of output data, and a
3 minimum value of feedback data is less than a minimum value of output data.

1 13. A method of maintaining stability of a 1-bit delta-sigma modulation
2 system under overload conditions, the method comprising:
3 providing quantized output data using output data of an M-order filter and
4 output data of an N-order filter, wherein M is greater than or equal to 3
5 and the N-order filter is stable under overload conditions;
6 providing feedback data, q_M , to the N-order filter;
7 providing feedback data q_N to the N-order filter; and
8 providing 1-bit quantization output data, q , wherein q equals $q_N + q_M$.

1 14. The method of claim 13 wherein a maximum value of feedback data
2 q_M is greater than a maximum value of output data q , and a minimum value of
3 feedback data q_M is less than a minimum value of output data q .

1 15. The method of claim 14 wherein feedback data q_M and q_N are integers.

1 16. The method of claim 14 wherein feedback data q_M and q_N are real
2 numbers including non-integers.

1 17. The method of claim 13 wherein q is an element of the logical value
2 set $[+1, -1]$, a maximum value of feedback data q_M is greater than $+1$, and a minimum
3 value of feedback data q_M is less than -1 .

1 18. The method of claim 13 wherein N equals 2.

1 19. The method of claim 13 further wherein the input signal is an
2 oversampled version of a digital audio signal.

1 20. The method of claim 13 further comprising:
2 receiving a digital input signal;
3 providing the digital input signal to the N-order filter; and
4 converting the 1-bit quantization output data into encoded audio data.

1 21. A method of maintaining stability of a 1-bit delta-sigma modulator
2 during overload conditions, wherein the 1-bit delta-sigma modulator comprises a
3 quantizer, an M-order loop filter, and an N-order loop filter, the method comprising:
4 providing 1-bit output data, q , based on input data from an M-order loop filter
5 and an N-order loop filter, wherein M is greater than or equal to three
6 and N is selected to provide stability to the delta-sigma modulator
7 during overload conditions;
8 detecting an overload condition of a quantizer;
9 providing appropriate feedback data, q_M , for the M-order loop filter to enable
10 the M-order loop filter to remain stable during the overload conditions,
11 wherein a maximum value of feedback data q_M is greater than the
12 maximum value of output data q ; and
13 providing compensating feedback data, q_N , for the N-order loop filter to
14 maintain an acceptable gain level of the quantizer.

1 22. The method of claim 21 further comprising:
2 determining q_M and q_N using a predetermined set of rules.

1 23. The method of claim 21 wherein $q = q_M + q_N$.